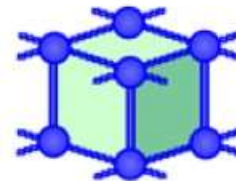


**Участие Сибирского Суперкомпьютерного
Центра СО РАН в Президентской программе
исследовательских проектов «Проведение
исследований на базе существующей научной
инфраструктуры мирового уровня»**



*Игорь Черных, зав. Лаб. СМ, рук.
ЦКП ССКЦ ИВМиМГ СО РАН*

Head of the lab
Igor Chernykh

Astrophysics group
(Igor Kulikov)

Plasma physics group
(Vitaly Vshivkov)

Geophysics group
(Boris Glinskiy)

Siberian Supercomputer
Center



~100 TFLOPS

~100 TFLOPS



Intel Xeon
Platinum 8268



Intel Xeon
Gold 6248R



Intel Xeon
E5-2697Av4



Intel Xeon
Phi 7290



Процессоры Intel (2009-2012)
NVIDIA Tesla 2090M

Siberian Supercomputer Center 2020

NKS-1P system (RSC hot water cooling system):

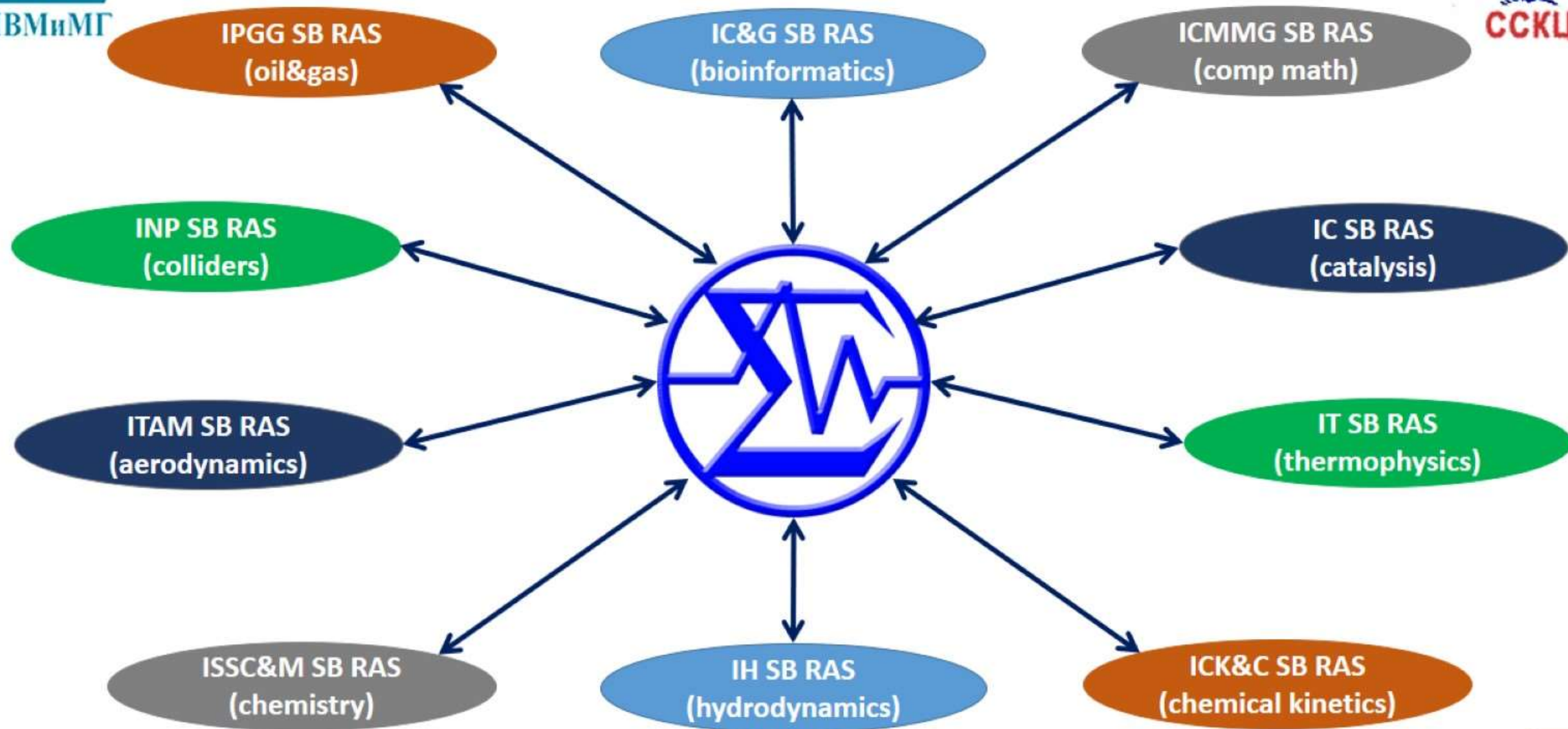
- 27 nodes: 2 CPU Intel Xeon E5-2697v4 [128 GB DDR4, 256 GB DDR4] (864 cores) (1 node with 2x375GB Intel Optane [IMDT])
- 16 nodes: 1 CPU Intel Xeon Phi 7290 KNL [16 GB MCDRAM+96 GB DDR4] (1152 cores)
- 1 node: 2 CPU Intel Xeon Platinum 8268 [192 GB DDR4, 4TB SSD]
- Intel OmniPath 100Gbit
- Intel Lustre – 200 TB

NKS-30T system (air cooling system) 2009-2011 years:

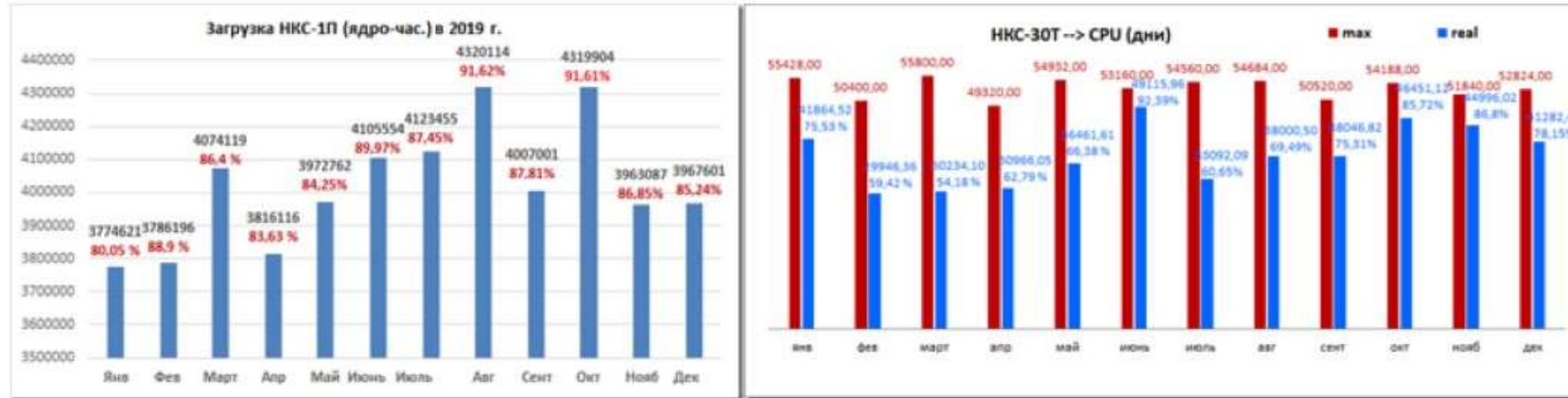
- 576 CPU Intel Xeon E5450/E5540(2688 cores)
- 80 CPU Intel Xeon X5670(480 cores)
- 120 GPU NVIDIA Tesla M 2090(61440 threads)
- Infiniband QDR
- HP Ibrix – 90 TB



Main SSCC customers

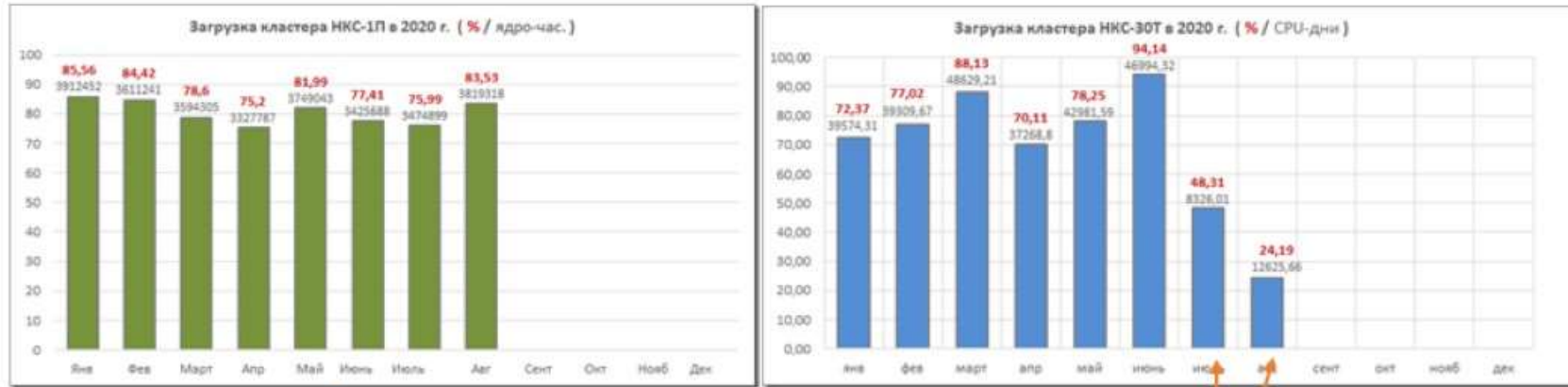


Siberian Supercomputer Center 2019 statistics



Customers: 252 (55 scientific organizations)
Research papers published: 129
R&D projects: 120

Siberian Supercomputer Center 2020 statistics



Теоретический пик пакетных
систем запуска задач

Ремонт системы охлаждения

Customers: 252 (55 scientific organizations)
R&D projects: 140

РНФ 19-71-20026 «Численное моделирование открытых плазменных ловушек для решения задач управляемого термоядерного синтеза с использованием перспективных высокопроизводительных вычислительных систем», рук Черных И.Г.

РНФ 19-77-20130 «Фундаментальные основы импульсного электромагнитного зондирования с управляемым спектром: теоретическое обоснование инновационного геофизического метода геологоразведки с использованием высокопроизводительных вычислений на базе Сибирского суперкомпьютерного центра СО РАН», рук. Глинских В.Н.

РНФ 19-77-20004 «Проявление связности систем трещин в волновых полях – численные исследования процессов распространения сейсмических и акустических волн в флюидонасыщенных трещиновато-пористых средах», рук. Роменских Е.И.

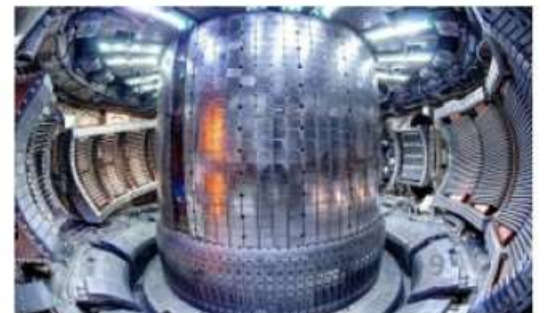
РНФ 19-72-20114 «Разработка системы моделирования, обработки и хранения данных установки класса мегасайенс "Супер С-тау фабрика"», рук. Логашенко И.Б.

РНФ 19-71-20026 – 1200 тыс. $p = 46153$ узло/часа
РНФ 19-77-20130 – 1200 тыс. $p = 46153$ узло/часа
РНФ 19-77-20004 – 700 тыс. $p = 26923$ узло/часа
РНФ 19-72-20114 – 1200 тыс. $p = 46153$ узло/часа

Introduction



- One of application of plasma physics is construction of magnetic trap for confinement of the thermonuclear plasmas.
- Excess of thermonuclear power over input power was demonstrated experimentally in tokamaks ($Q \sim 1$). The International Thermonuclear Experimental Reactor (ITER) considering as prototype of commercial reactor is being built now.
- Parameters of the best stellarators are close to the parameters of the best tokamaks.
- Alternative conceptions of magnetic plasma confinement (such as open traps and field-reversed configurations, FRCs) are developed.



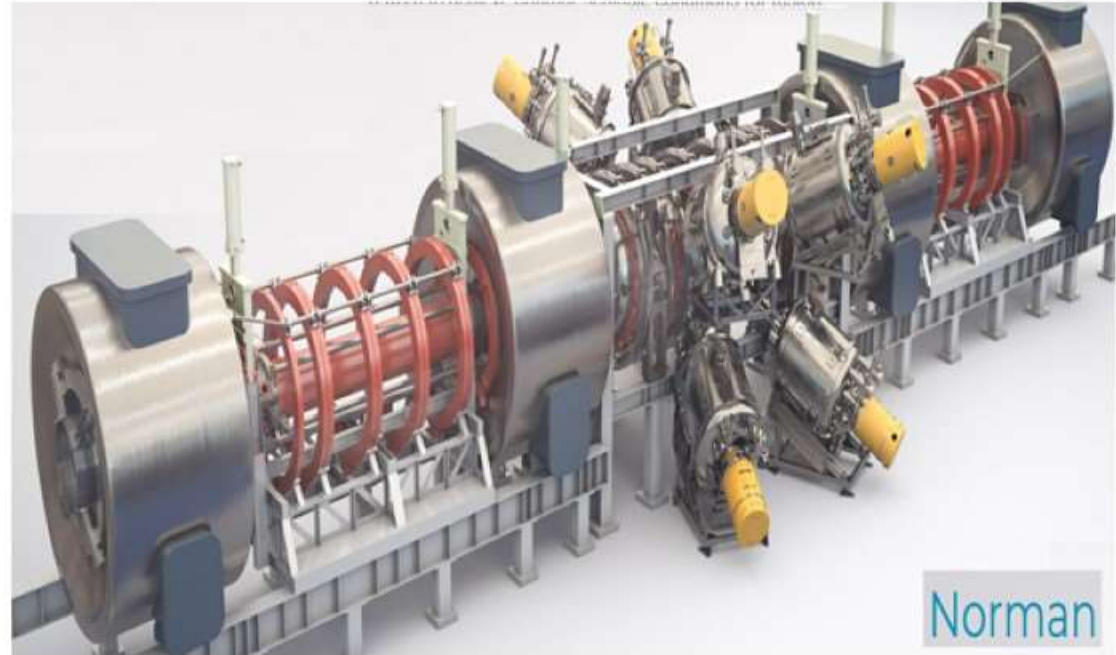
Introduction

**Open magnetic traps : GDT (BINP SBRAS) ,
Norman (TAE Technologies, USA)**



GDT facility

$L=7\text{m}$, $D=1\text{m}$, $T_e=1\text{ keV}$, $\beta=0.6$



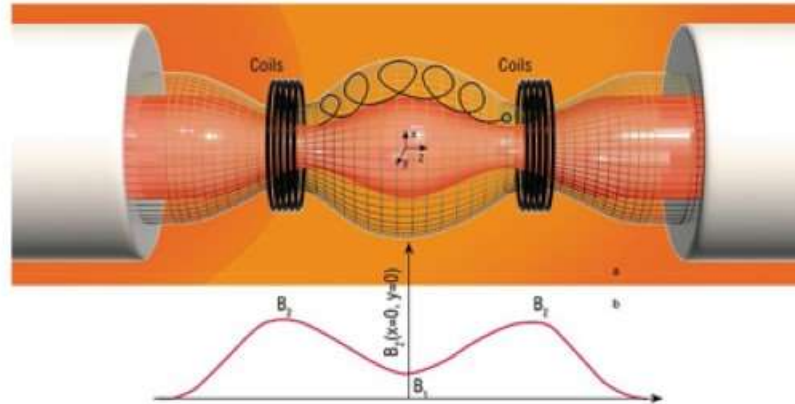
C-2W Ti=1keV, $t^*=5\text{ms}$

$L=3\text{m}$, $D=40\text{ cm}$

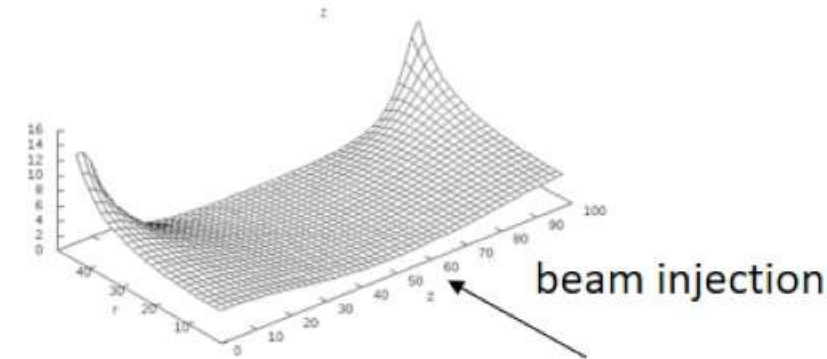
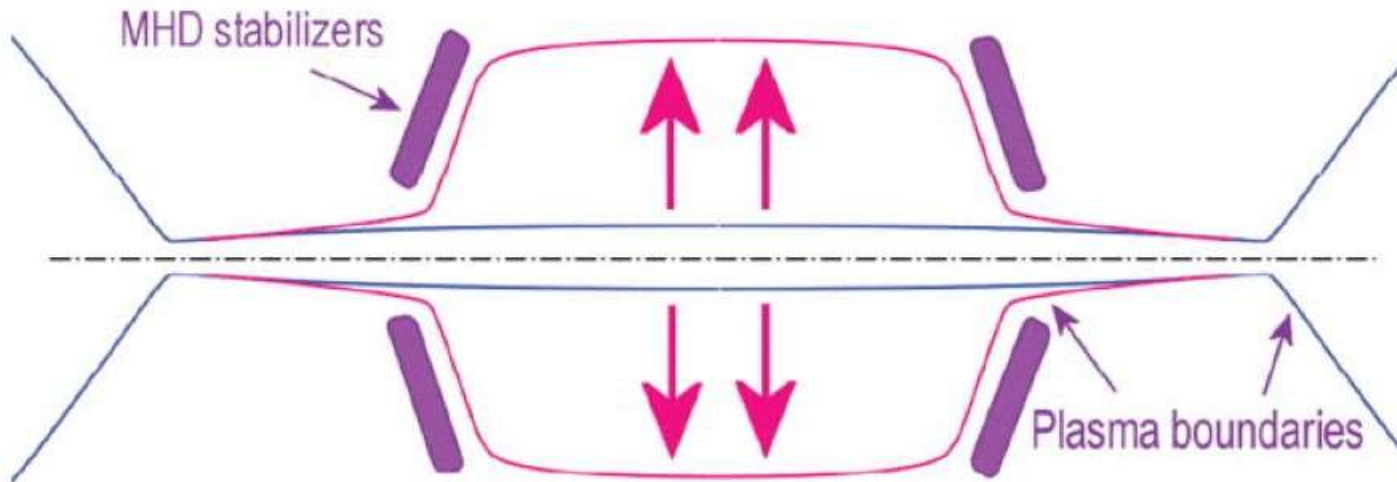
$T=20\text{ million}^\circ\text{C}$

$^{11}\text{B} + p \rightarrow 3\text{ }^4\text{He}$

Magnetic trap



A. Shosin 23 Apr 2018 , Budker's Universe , volume Special Issue, N1



A. D. Beklemishev **Diamagnetic “bubble” equilibria in linear traps** Phys. Plasmas 23, 082506 (2016)

Equations

The kinetic Vlasov equation (ions)

$$\begin{aligned} \frac{\partial f_i}{\partial t} + \vec{v} \frac{\partial f_i}{\partial \vec{r}} + \frac{\vec{F}_i}{m_i} \frac{\partial f_i}{\partial \vec{v}} &= 0 \\ \vec{F}_i &= e \left(\vec{E} + \frac{1}{c} [\vec{v}, \vec{B}] \right) + R_i \\ n_i(\vec{r}) &= \int f_i(t, \vec{r}, \vec{v}) d\vec{v} \\ \vec{V}_i(\vec{r}) &= \frac{1}{n_i(\vec{r})} \int \vec{v} f_i(t, \vec{r}, \vec{v}) d\vec{v} \end{aligned}$$

MHD equations (electrons)

$$\begin{aligned} -e\vec{E} - \frac{e}{c} [\vec{V}_e, \vec{B}] - \frac{\nabla p_e}{n_e} + \vec{R}_e &= m_e \frac{d\vec{V}}{dt} \\ \vec{R}_e &= -m_e \frac{\vec{V}_e - \vec{V}_i}{\tau_{ei}} \end{aligned}$$

Maxwell's equations (magnetic field, electric field, ...)

$$\begin{aligned} \frac{1}{c} \frac{\partial \vec{E}}{\partial t} &= \text{rot} \vec{B} - \frac{4\pi}{c} \vec{j} \\ \frac{1}{c} \frac{\partial \vec{B}}{\partial t} &= -\text{rot} \vec{E} \\ \text{div} \vec{E} &= 4\pi \rho \\ \text{div} \vec{B} &= 0 \end{aligned}$$

$n_i = n_e$ Quasineutral plasma

$$R_i = -R_e$$

$$\begin{aligned} \vec{j} &= e(n_i \vec{V}_i - n_e \vec{V}_e) \\ \rho &= e(n_i - n_e) \end{aligned}$$

Heat conduction equation (electron's temperature)

$$n_e \left(\frac{\partial T_e}{\partial t} + (\vec{V}_e \nabla) T_e \right) = (\gamma - 1) (Q_e - \text{div} \vec{q}_e - p_e \text{div} \vec{V}_e)$$

$$Q_e = \frac{j^2}{\sigma}$$

$$\vec{q}_e = -k \nabla T_e$$

State equation

$$p_e = n_e T_e$$

Component notation

$$\begin{aligned}\frac{dV_{ir}}{dt} &= E_r + V_{i\phi} B_z - V_{iz} B_\phi + \frac{V_{i\phi}^2}{r} + \frac{\kappa}{n_e} \frac{\partial B_\phi}{\partial z} \\ \frac{dV_{i\phi}}{dt} &= E_\phi + V_{iz} B_r - V_{ir} B_z - \frac{V_{i\phi} V_{ir}}{r} - \frac{\kappa}{n_e} \left(\frac{\partial B_r}{\partial z} - \frac{\partial B_z}{\partial r} \right) \\ \frac{dV_{iz}}{dt} &= E_z + V_{ir} B_\phi - V_{i\phi} B_r - \frac{\kappa}{n_e} \frac{1}{r} \frac{\partial(r B_\phi)}{\partial r}\end{aligned}$$

$$\begin{aligned}\frac{dr_i}{dt} &= V_{ir} \\ \frac{dr_z}{dt} &= V_{iz}\end{aligned}$$

$$\begin{aligned}-\frac{\partial B_\phi}{\partial z} &= n_i V_{ir} - n_e V_{er} \\ \frac{\partial B_r}{\partial z} - \frac{\partial B_z}{\partial r} &= n_i V_{i\phi} - n_e V_{e\phi} \\ \frac{1}{r} \frac{\partial(r B_\phi)}{\partial r} &= n_i V_{iz} - n_e V_{ez}\end{aligned}$$

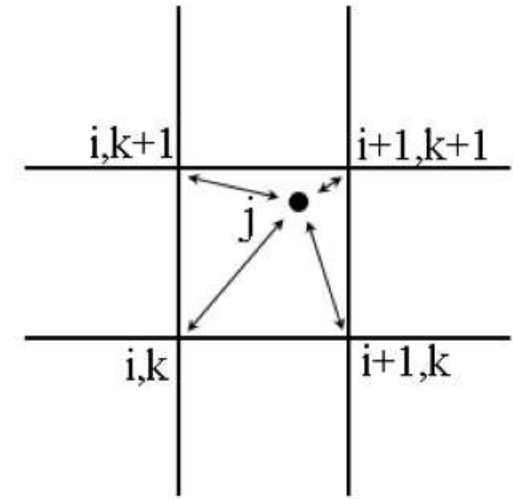
$$\begin{aligned}E_r &= V_{ez} B_\phi - V_{e\phi} B_z - \frac{1}{2n_e} \frac{\partial p_e}{\partial r} - \frac{\kappa}{n_e} \frac{\partial B_\phi}{\partial z} \\ E_\phi &= V_{er} B_z - V_{ez} B_r + \frac{\kappa}{n_e} \left(\frac{\partial B_r}{\partial z} - \frac{\partial B_z}{\partial r} \right) \\ E_z &= V_{e\phi} B_r - V_{er} B_\phi - \frac{1}{2n_e} \frac{\partial p_e}{\partial z} - \frac{\kappa}{n_e} \frac{1}{r} \frac{\partial(r B_\phi)}{\partial r}\end{aligned}$$

$$\begin{aligned}\frac{\partial B_r}{\partial t} &= -\frac{\partial E_\phi}{\partial z} \\ \frac{\partial B_\phi}{\partial t} &= -\frac{\partial E_r}{\partial z} + \frac{\partial E_z}{\partial r} \\ \frac{\partial B_z}{\partial t} &= -\frac{1}{r} \frac{\partial(r E_\phi)}{\partial r}\end{aligned}$$

$$n_e \left(\frac{\partial T_e}{\partial t} + (\vec{V}_e \nabla) T_e \right) = 2\kappa n_e (\gamma - 1) \left[\left((V_{er} - V_{ir})^2 + (V_{e\phi} - V_{i\phi})^2 + (V_{ez} - V_{iz})^2 \right) + \frac{k}{n_e} \left(\frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial T_e}{\partial r} \right) + \frac{\partial}{\partial z} \left(r \frac{\partial T_e}{\partial z} \right) \right) - T_e \left(\frac{1}{r} \frac{\partial(r V_{er})}{\partial r} + \frac{\partial V_{ez}}{\partial z} \right) \right]$$

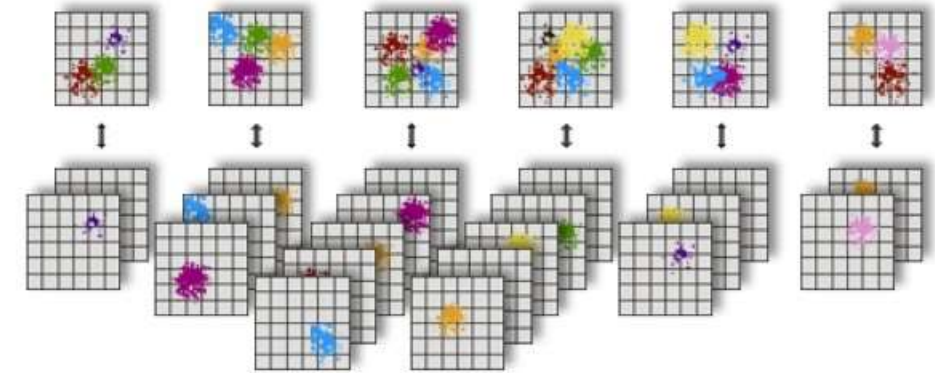
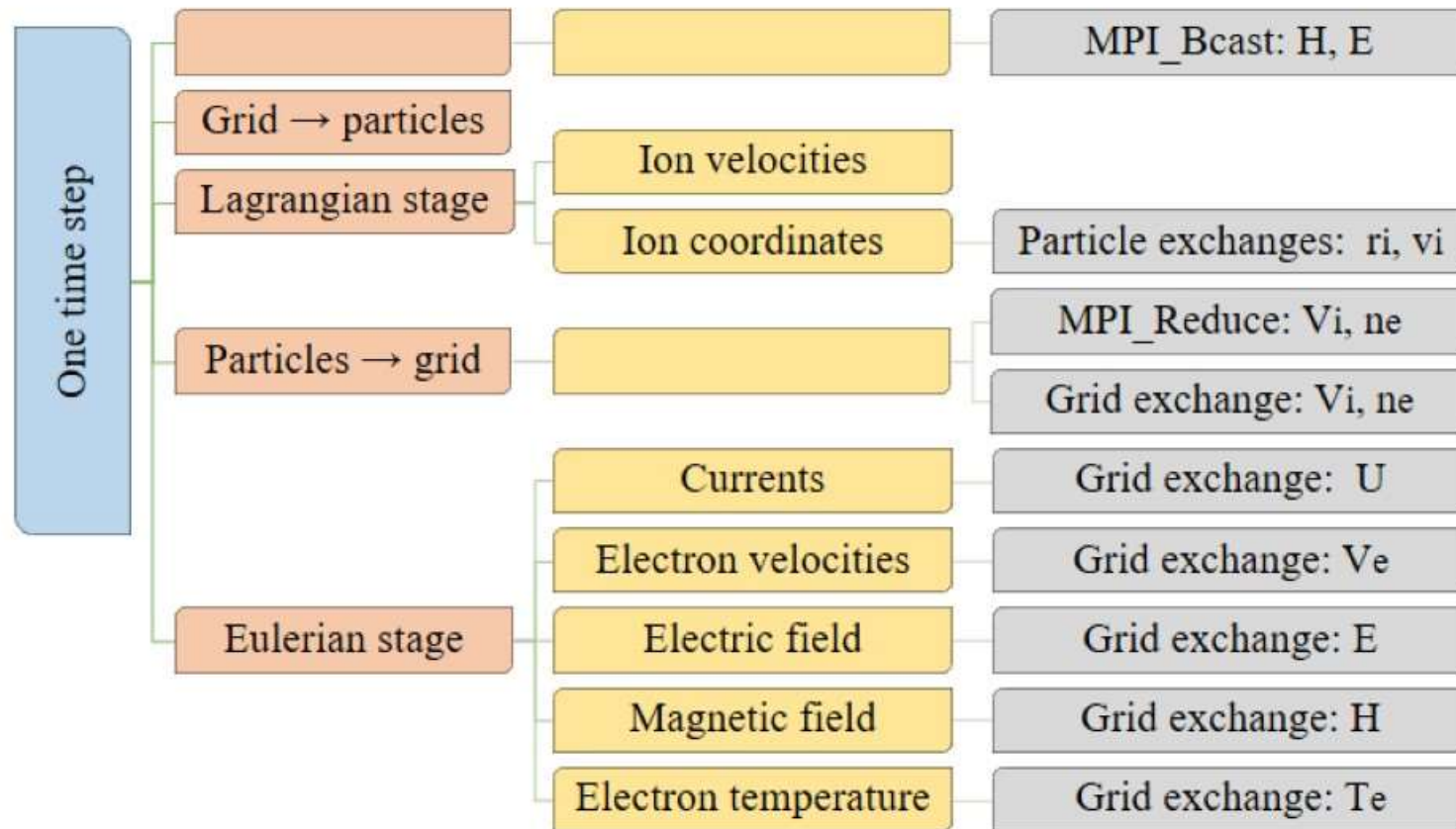
Algorithm

- ✓ Cylinder coordinate system due to the axial symmetry, $r=0$ is singularity
- ✓ Hybrid model, the ions are described kinetically, the electrons – with MHD
- ✓ Particles-in-cell method with PIC form-factor
- ✓ Shifted for half of the steps grids
- ✓ Mixed Euler-Lagrangian decomposition for the parallelization



particles $\gg$ cells

Parallel Method



Numerical Experiments



Intel Xeon
Platinum 8268
(2x24cores, 2.9GHz)

AVX512

`mpiifort -axCORE-AVX512`



Intel Xeon
E5-2697Av4
(2x16cores, 2.6 GHz)



Intel Xeon
Phi 7290
(1x72cores, 1.5GHz)



AVX512

`mpiifort -axCORE-AVX512`



Elapsed time: 37.28s Vectorized Not Vectorized OFF Smart Mode INTEL ADVISOR 2017

FILTER: All Modules All Sources Loops All Threads

Summary Survey Report Refinement Reports

Function Call Sites and Loops	Vector Issues	Self Time	Type	FLOPS		Why No Vectorization?	Vectorized Loops		
				GFLOPS	AI		Vector...	Efficiency	Gain...
[loop in S252 at loops90.f:1172]		3.158s 9.0%	Vectorized ...	0.1871	0.1070	1 vectori...	AVX2	17%	1.38x
[loop in S2101 at loops90.f:1749]	2 Ineffi...	2.875s 8.2%	Scalar	0.1361	0.0625	vectorizat ...			
[loop in S126 at loops90.f:447]	2 Prov ...	0.997s 2.6%	Scalar	0.3971	0.1667	vector de ...			
[loop in S343 at loops90.f:2300]	2 Assu ...	0.875s 2.5%	Scalar			vector de ...			
[loop in s141_\$omp\$parallel_for ...]	2 Assu ...	0.824s 2.4%	Scalar	0.0611	0.0833	vector de ...			
[loop in S353 at loops90.f:2381]	1 Possi ...	0.719s	Vectorized (...)	2.771	0.1250		AVX2	35%	2.78x
[loop in s232_\$omp\$parallel_for ...]	3 Prov ...	0.693s	Scalar Versions	0.2881	0.2220	1 vector d ...			

Numerical Experiments



Intel Xeon
Platinum 8268
(2x24cores, 2.9GHz)



Intel Xeon
E5-2697Av4
(2x16cores, 2.6 GHz)

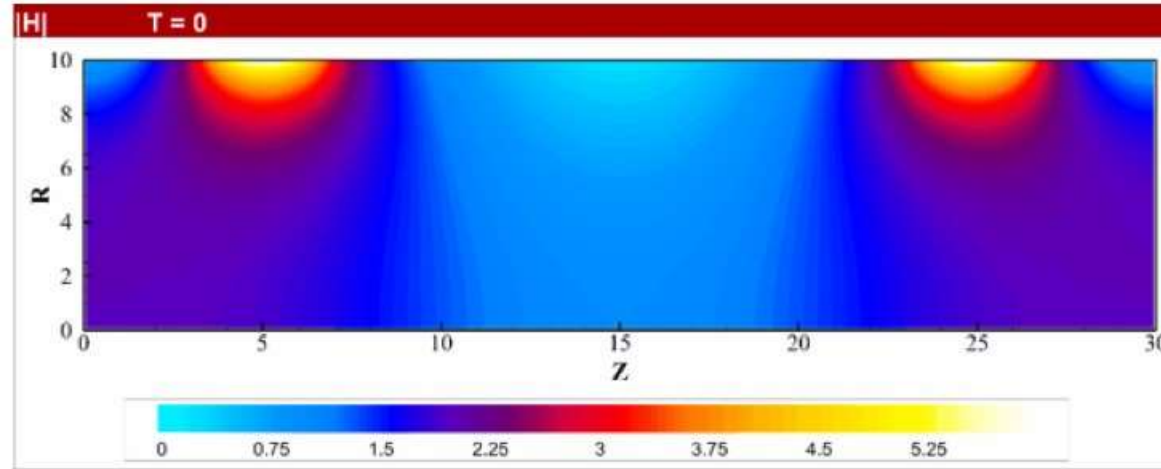


Intel Xeon
Phi 7290
(1x72cores, 1.5GHz)

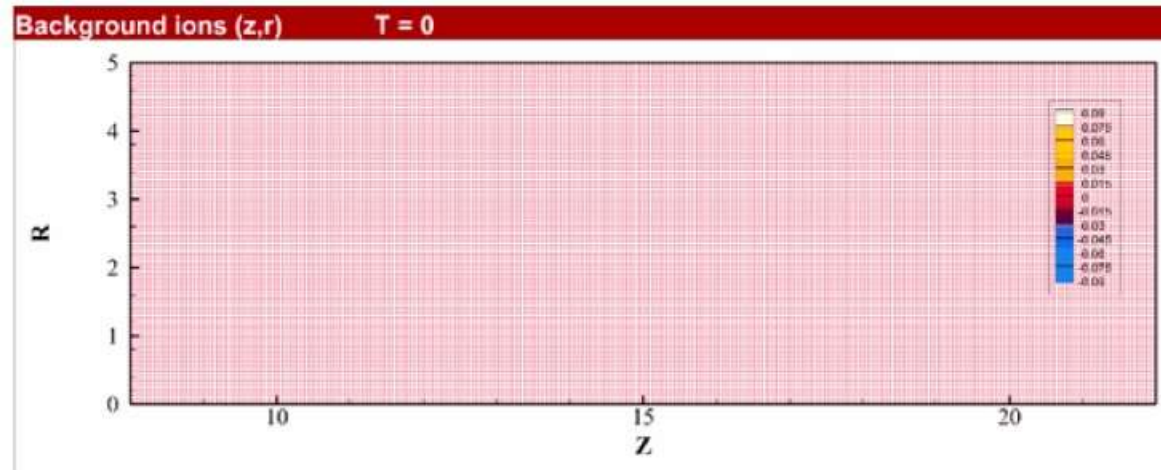
	MPI off, s	MPI on (15, 15), s	MPI on (15,32), s
Intel Xeon Phi 7290 (KNL) avx512	10300	4650	1070
Intel Xeon E5-2697A v4 (Broadwell)	2089	1019	582
Intel Xeon Platinum 8268 (CascadeLake)	1654	868	379
Intel Xeon Platinum 8268 (CascadeLake) avx512	1472	773	378

Results

Time steps – $4.8e6$
Background ions – $1.2e5$
Beam ions – $1.3e6$
Grid: 100×300



Absolute value of magnetic field
Grid: 100×300



Conclusion

- ❑ The numerical code is applicable for simulation with parameters close to real experimental conditions.
- ❑ Formation of quasi-stationary structure of magnetic field with region of negligible field is demonstrated.
- ❑ This code have high potential for auto-vectorization

Thank you for your attention

